

Course Title	Linear Algebra				
Course Code	MAT160				
Course Type	Compulsory				
Level	Bachelor (1st Cycle)				
Year / Semester	1 st Year / 2 nd Semester				
Teacher's Name	TBA				
ECTS	6	Lectures / week	3 hours / 14 weeks	Laboratories / week	N/A
Course Purpose and Objectives	A brief review of matrices and matrix operations is followed by a presentation of the axioms and properties of vector spaces, and the concepts of linear transformations, eigenvalues and eigenvectors.				
Learning Outcomes	<p>Upon successful completion of the course, students will be able to:</p> <ul style="list-style-type: none"> • List the basic principles of matrix algebra. • Solve systems of equations using matrices. • Create the intricate thread of relationships between systems of equations, matrices, determinants, transformations and eigenvalues. • Use vector arithmetic including dot and cross products of vectors. • Explain basic concepts such as those of linear independence of vectors, basis for a vector space and vector subspace, orthonormal basis of vectors. • Explain the underlying concepts behind eigenvector and eigenvalue. • Describe the effects of applying matrix transformations. 				
Prerequisites	None	Co-requisites	None		
Course Content	<p>Systems of Linear Equations and Matrices: Introduction to Systems of Linear Equations; Gaussian Elimination; Homogeneous Systems of Linear Equations; Matrices and Matrix Operations; Rules of Matrix Arithmetic; Elementary Matrices and a Method for Finding A^{-1}; Further Results on Systems of Equations and Invertibility.</p> <p>Determinants: The Determinant Function; Evaluating Determinants by Row Reduction; Properties of the Determinant Function; Cofactor Expansion; Cramer's Rule.</p>				

	<p>Vectors in 2-Space and 3-Space: Introduction to Vectors (Geometric); Norm of a Vector; Vector Arithmetic; Dot Product; Projections; Cross Product; Lines and Planes in 3-space.</p> <p>Vector Spaces: Euclidean n-Space; General Vector Spaces; Subspaces; Linear Independence; Basis and dimension; Row and Column Space; Rank; Finding Bases; Inner Product Spaces; Length and Angle in Inner Product Spaces; Orthonormal Bases; Gram-Schmidt Process; Coordinates; Change of Basis.</p> <p>Linear Transformations; Properties of Linear Transformations; Kernel and Range; Linear Transformations from R^n to R^m, Geometry of Linear Transformations from R^2 to R^2; Matrices of Linear Transformations; Equivalence and Similarity. Eigenvalues, Eigenvectors; Diagonalization; Orthogonal Diagonalization; Symmetric Matrices.</p> <p>Recent developments and contemporary issues pertaining to the subject-matter of the course</p>						
Teaching Methodology	Face- to- face						
Bibliography	<p>Anton, H., ELEMENTARY LINEAR ALGEBRA, Wiley</p> <p>Kolman, B. & Hill D., Elementary Linear Algebra with Applications, Pearson Modern Classics for Advanced Mathematics Series</p> <p>Anton, H., Rorres, C., ELEMENTARY ALGEBRA (Applications Version), Wiley</p> <p>Stoll, R. & Wong., E., LINEAR ALGEBRA, Academic Press</p> <p>Hill Jr., R.G., ELEMENTARY LINEAR ALGEBRA, Academic Press</p> <p>Lay, D., Lay, R. & McDonald, J., Linear Algebra and its Applications, Pearson</p>						
Assessment	<table border="1" style="border-collapse: collapse;"> <tr> <td style="padding: 5px;">Examinations</td> <td style="text-align: center; padding: 5px;">90%</td> </tr> <tr> <td style="padding: 5px;">Class Participation and Attendance</td> <td style="text-align: center; padding: 5px;">10%</td> </tr> <tr> <td></td> <td style="text-align: center; padding: 5px;">100%</td> </tr> </table>	Examinations	90%	Class Participation and Attendance	10%		100%
Examinations	90%						
Class Participation and Attendance	10%						
	100%						
Language	English						